${\rm ALGO} \\ {\rm MCQ}$

Consider the binary tree AB:

$$< A, < B, \emptyset, < D, < G, \emptyset, \emptyset>, < H, \emptyset, \emptyset>>>, < C, < E, \emptyset, < I, < K, \emptyset, \emptyset>, \emptyset>>, < F, \emptyset, < J, \emptyset, \emptyset>>>> < C, < G, \emptyset, \emptyset>> < F, \emptyset, < J, \emptyset, \emptyset>>> < C, < G, \emptyset, \emptyset> < F, \emptyset, < J, \emptyset, \emptyset>>> < C, < G, \emptyset, \emptyset> < F, \emptyset, < J, \emptyset, \emptyset>>> < C, < G, \emptyset, \emptyset> < F, \emptyset, < J, \emptyset, \emptyset>>> < C, < G, \emptyset, \emptyset> < F, \emptyset, < J, \emptyset, \emptyset>>> < F, \emptyset, < J, \emptyset, \emptyset>> < F, \emptyset, < J, \emptyset, \emptyset>>> < F, \emptyset, < J, \emptyset, \emptyset>>> < F, \emptyset, < J, \emptyset, \emptyset>> < F, \emptyset, < J, \emptyset, \emptyset>>> < F, \emptyset, < J, \emptyset, \emptyset>> < F, \emptyset, < J, \emptyset, \emptyset>>> < F, \emptyset, < J, \emptyset, \emptyset>> < F, \emptyset, < J, \emptyset, \emptyset>> < F, \emptyset, < J, \emptyset, \emptyset> < F, \emptyset, < F, Ø, < F, \emptyset, < F, \emptyset, < F, Ø, < F, Ø$$

Where the letters are the nodes and where $\emptyset = emptytree$

- 1. AB is a binary tree?
 - (a) degenerate
 - (b) complete
 - (c) perfect
 - (d) proper
- (e) nothing in particular
- 2. The height of the tree AB is?
 - (a) 2
 - (b) 3
 - (c) 4
 - (d) 5
 - (e) 6
- 3. The internal and external path lengths of AB are equal to ?
 - (a) 10,14
- (b) 11,13
 - (c) 12, 12
 - (d) 14, 10
 - (e) 15,9
- 4. The external average depth of AB is equal to ?
 - (a) 0.72
 - (b) 1.50
 - (c) 2.18
- (d) 3.25
 - (e) 4
- 5. Using the characters representing the nodes of the tree AB, its inorder traversal is ?
- (a) B, G, D, H, A, E, K, I, C, F, J
 - (b) A, B, D, G, H, C, E, I, K, F, J
 - (c) G, H, D, B, K, I, E, J, F, C, A
 - (d) A, B, C, D, E, F, G, H, I, J, K
- 6. Using the hierarchical numbering representation, the tree AB is ?
- \angle (a) 1, 2, 3, 5, 6, 7, 10, 11, 13, 15, 26
 - (b) 1, 2, 3, 5, 6, 7, 10, 11, 12, 15, 16
 - (c) 1, 2, 3, 4, 5, 6, 7, 8, 9, 10, 11, 12
 - (d) 1, 2, 3, 4, 5, 6, 10, 11, 13, 15, 26

Consider the general tree AG:

$$>, < F, \emptyset>, < G, < N, \emptyset>, < O, \emptyset>>, < H, \emptyset>>, < C, < I, \emptyset>>, < D, < J, < P, \emptyset>, < Q, \emptyset>>, < K, \emptyset>>>$$

Where the letters are the nodes and where $\emptyset = empty forest$

7. The height of the tree AG is ?



J (b) 3

(c) 4

(d) 5

(e) 6

8. The size of the tree AG is?

- (a) 11
- (b) 13
- (c) 15



(e) 19

9. Let BAG be the binary tree obtained using the leftmostchild-rightsibling memory representation of the tree AG, the heigth of BAG is?

- (a) 2
- (b) 3
- (c) 4
- (d) 5



10. Let BAG be the binary tree obtained using the leftmostchild-rightsibling memory representation of the tree AG, the left edge of BAG is ?

- (a) (A,B,L,E)
- (b) (A,L,B,E)
- $\langle \langle (c) \rangle (A,B,E,L) \rangle$
 - (d) (B,A,L,E)
 - (e) (B,E,L,A)



MCQ 4

Monday, 19 February

Question 11

In the vector space $E = \mathbb{R}^2$, when substracting two elements of E, we get:

- a. a real number
- \bigvee b. an element of E
 - c. a real number or an element of E, both results are possible.

Question 12

Let E be a set different from \mathbb{R} . In the property: "E is a vector space over \mathbb{R} ", the term "over \mathbb{R} " means that:

- a. the vectors are elements of \mathbb{R}
- b. the scalars are elements of $\mathbb R$
- c. the zero-vector of E is an element of \mathbb{R} .
- d. None of the others

Question 13

Let E be a vector space over \mathbb{R} . Then we know that:

- \checkmark a. $\forall (u,v) \in E^2, u+v \in E$
 - b. $\forall (u, v) \in E^2, u + v \in \mathbb{R}$
 - c. $\forall (\lambda, u) \in \mathbb{R} \times E, \lambda.u \in E$
 - d. $\forall (\lambda, u) \in \mathbb{R} \times E, \lambda.u \in \mathbb{R}$
 - e. None of the others

Question 14

Consider the two \mathbb{R} -vector spaces $E=\mathbb{R}^2$ and $F=\mathbb{R}^3.$ Then:

- a. The zero-vector of E is the same as the zero-vector of F.
- b. The zero-vector of E is $0_E = (0,0)$
- c. None of the others

Question 15

Consider the set E of all the increasing numerical sequences. Let (u_n) and (v_n) be two elements of E. Then:



$$\sqrt{a. (u_n) + (v_n) \in E}$$

b.
$$-1.(u_n) \in E$$

- c. E is a vector space over \mathbb{R}
- d. None of the others

Question 16

Consider the set $E = \{aX + b, (a, b) \in \mathbb{R}^2\}$ (the set of all the polynomials of degrees ≤ 1 with coefficients in \mathbb{R}). Let $(P,Q) \in E^2$. Then:



a.
$$P+Q \in E$$



b.
$$\forall \lambda \in \mathbb{R}, \lambda . P \in E$$

c. None of the others

Question 17

Consider the set $E = \{(x, y, z) \in \mathbb{R}^3, y = -x\}$. Then:

a.
$$E \subset \mathbb{R}^2$$



b.
$$E \subset \mathbb{R}^3$$

c.
$$(1,-1) \in E$$

d.
$$(1, -2, 3) \in E$$

e. None of the others

Question 18

Let $u = (3, 2) \in \mathbb{R}^2$ and $v = (1, -2) \in \mathbb{R}^2$. Then:



a.
$$u + v = (4,0)$$

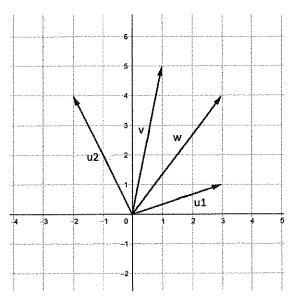
b.
$$-2.u = (-6, 2)$$

c.
$$u - v = (2,0)$$

d. None of the others

Question 19

In the plane, consider the 4 vectors u_1 , u_2 , v and w represented below.



Then:

a.
$$v = u_1 + u_2$$

b.
$$w = u_1 + u_2$$

c. None of the others

Question 20

The set of all the functions from $\mathbb R$ to $\mathbb R$ which are strictly increasing is a vector space over $\mathbb R$.

- a. True
- b. False